



Enhancing Meteorological Observation Through Location Optimization of Mobile Radar Deployment

*Dr. Xin (Selena) Feng ^a, Dr. David Schwartzman ^{bc}, Bikram Parajuli ^a,
Dr. Xuguang Wang ^b*

a Department of Geography and Environmental Sustainability, The University of Oklahoma

b School of meteorology, The University of Oklahoma

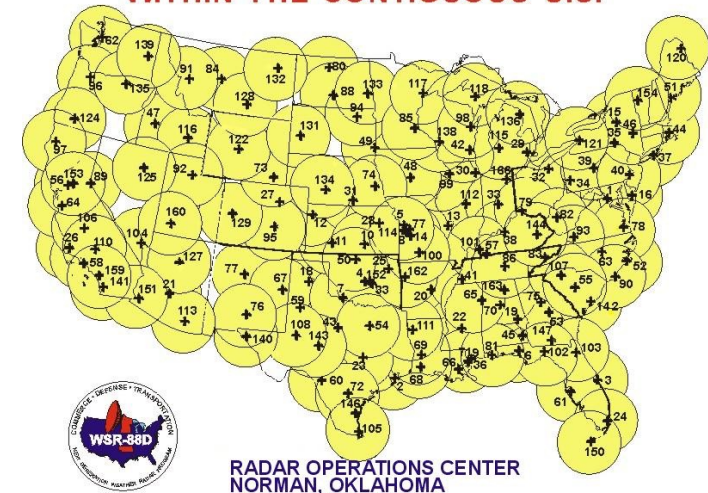
c Advanced Radar Research Center, The University of Oklahoma

Weather radars

- Have improved our understanding of, and ability to forecast, increasingly frequent catastrophic weather events.
- Fixed Radar: the Next Generation Weather Radar (NEXRAD), which encompasses a network of 160 operational Weather Surveillance Radar - 1988 Doppler (WSR-88D) systems



COMPLETED WSR-88D INSTALLATIONS
WITHIN THE CONTIGUOUS U.S.



<https://en.wikipedia.org/wiki/NEXRAD>

Mobile radars

- Deploying mobile ground-based radars has become routine for field experiments.
 - Geerts et al. 2017; McMurdie et al. 2022
- Produce better observations when they are parked at close range to where precipitation systems occur.
 - Weadon et al. 2009; Pazmany et al. 2013; Kurdzo et al. 2017
- Increase the probability of capturing storm-specific features (e.g., tornadoes, severe storms, etc.)
- Are usually equipped with pedestals that support faster mechanical azimuth scanning.
 - Bluestein et al. 2010; French et al. 2013; Kurdzo 2015



Rapid-Scanning X-band Polarimetric (RaXPol) mobile radar

- Advanced Radar Research Center (ARRC), has used RaXPol in dozens of field campaigns since its initial deployment.
- Is mounted on a Chevrolet Kodiak 5500 truck.
- Can be quickly deployed (2-3 mins).



The RaXPol radar during a weather data collection experiment in Norman, OK.

Where to park the mobile radar vehicle?

- Capture high-quality data & ensure the safety of researchers and vehicles.
- The current site selection process usually depends on the intuition, experience, and judgment of practitioners.
- However, people are not always rational in decision-making.



“location, location, location”

- Primary location decisions involving where to site a facility within a given service system will directly influence its efficiency.
 - e.g., Church & Murray, 2009
- For fixed radars, location optimization used in an appropriate manner is often key to guaranteeing efficient investment and operation of a radar system.
 - e.g., Leone et al., 1989; Minciardi et al., 2003; Raisanen & Whitaker, 2003; Kurdzo & Palmer, 2012; Kurdzo et al., 2020.
- However, there has been very little work on the location optimization of mobile radars.

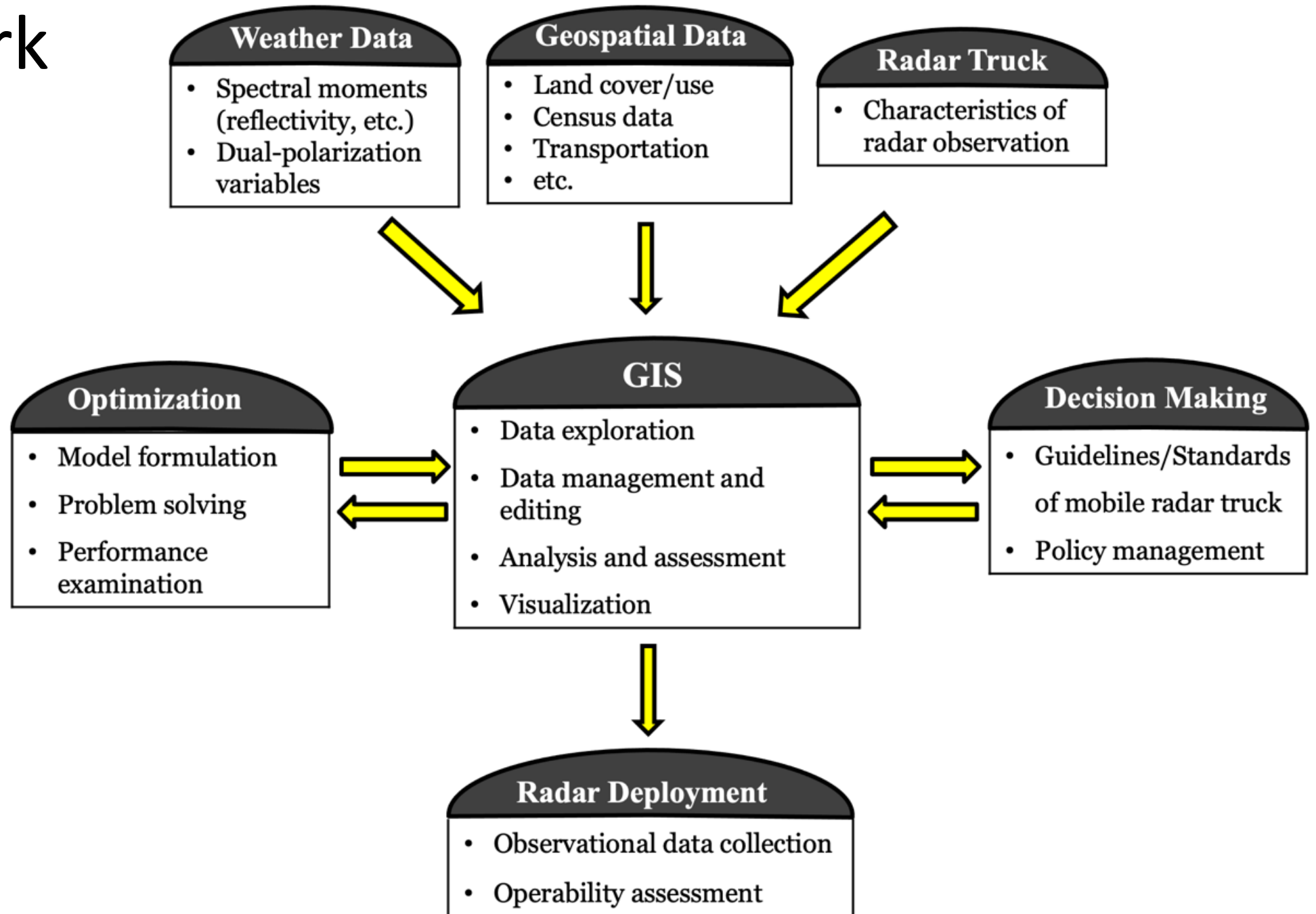


This paper:

- Provides a structured and systematic approach to decision-making.
- Process and analyze various data without being influenced by biases, emotions, or personal values.
- Complement human judgment by making the siting process logical, rational, transparent, and reproducible.



Framework



Three Phases of the Siting Process

- Delineates the initial feasible areas.
- Derive local optimal positions by solving an optimization model.
- GIS assist in determine the precise location by integrating detailed geospatial data.



Mathematical model

$$\min T = \iint_{(x,y) \in \mathcal{R}} g(x, y, X, Y) \times d^2(x, y, X, Y) dx dy, \quad (1)$$

subject to $(X, Y) \in \Psi$.

 (x, y) = location of a point in the continuous space

(X, Y) = location of the mobile radar vehicle to be determined

$d^2(x, y, X, Y) = (X - x)^2 + (Y - y)^2$ = Euclidean distance square norm

\mathcal{R} = entire region of study or a specified area

$\Phi_{(X,Y)}$ = observation area of sited mobile radar

Ψ = feasible area capable of siting mobile radars determined in phase 1

$g(x, y, X, Y)$ = reflectivity value at point (x, y) when radar sited at (X, Y)

Aims to locate a single mobile radar vehicle within a feasible area for efficient observation.

Discretization

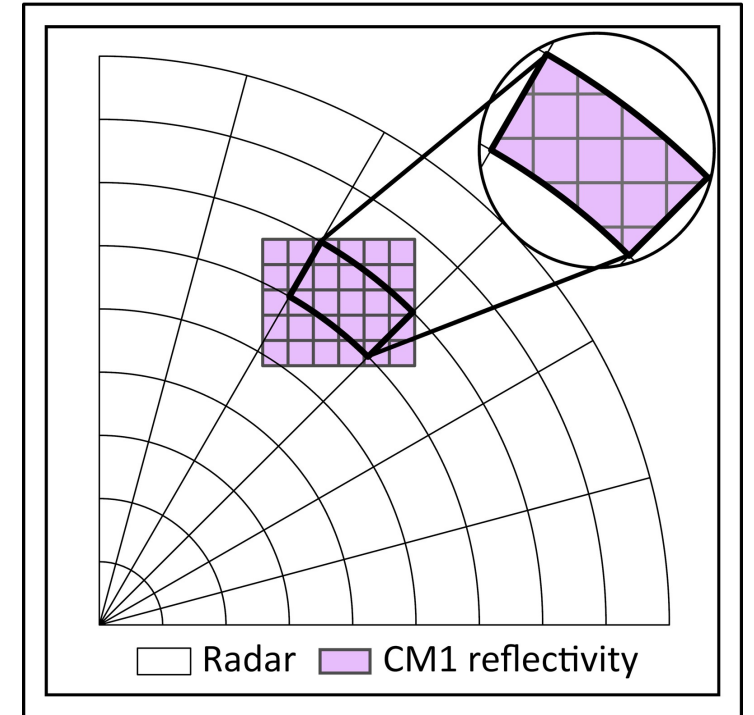
A discretized form of the objective function is defined as:

$$\min T^{(n+1)} = \sum_i g(x_i, y_i, X^{(n)}, Y^{(n)}) \times d^2(x_i, y_i, X, Y) \times Area_{PG}(x_i, y_i) \quad (2)$$

To find the optimal location, we calculate the gradient of the objective function with respect to X and Y , setting each component to zero to solve for the coordinates:

$$\frac{\partial T^{(n+1)}}{\partial X} = 0 \quad (3a)$$

$$\frac{\partial T^{(n+1)}}{\partial Y} = 0 \quad (3b)$$

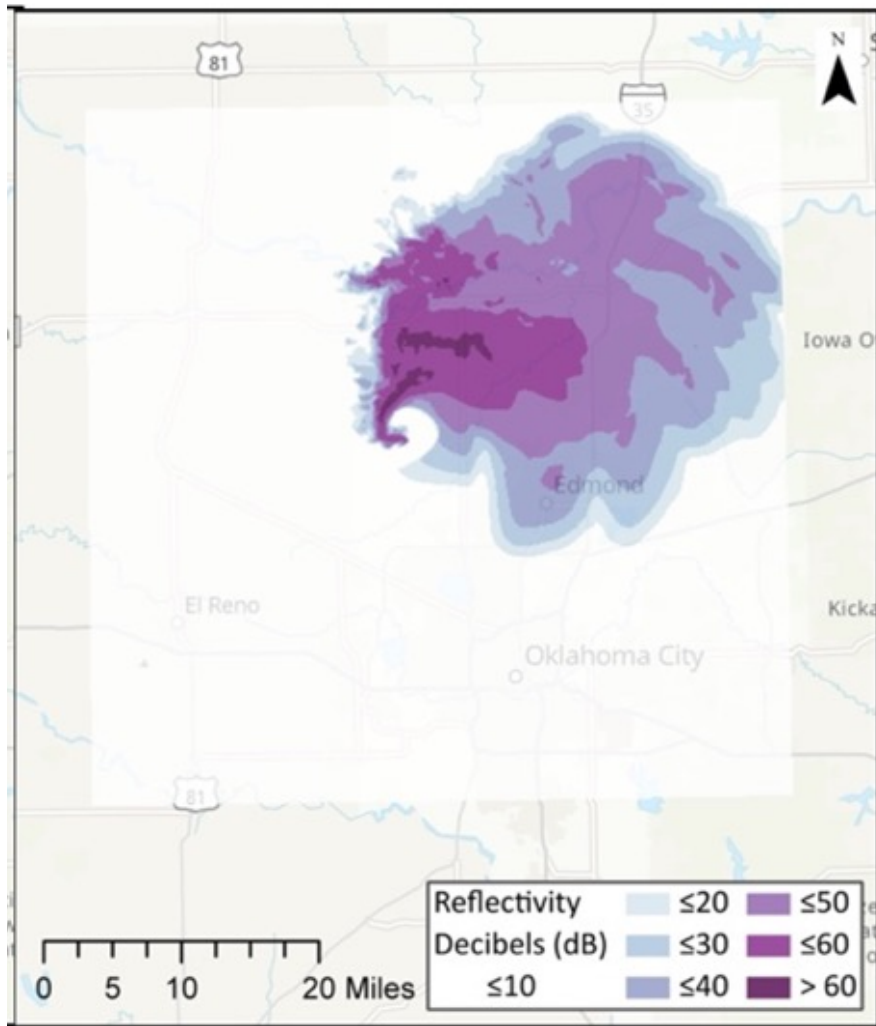


Solution

- The mobile radar vehicle will move to location $(X^{(n+1)}, Y^{(n+1)})$ having the minimum $T^{(n+1)}$ through:

$$X^{(n+1)} = \frac{\sum_i x_i \times g(x_i, y_i, X^{(n)}, Y^{(n)}) \times Area_{PG}(x_i, y_i)}{\sum_i g(x_i, y_i, X^{(n)}, Y^{(n)}) \times Area_{PG}(x_i, y_i)} \quad (4)$$

$$Y^{(n+1)} = \frac{\sum_i y_i \times g(x_i, y_i, X^{(n)}, Y^{(n)}) \times Area_{PG}(x_i, y_i)}{\sum_i g(x_i, y_i, X^{(n)}, Y^{(n)}) \times Area_{PG}(x_i, y_i)} \quad (5)$$



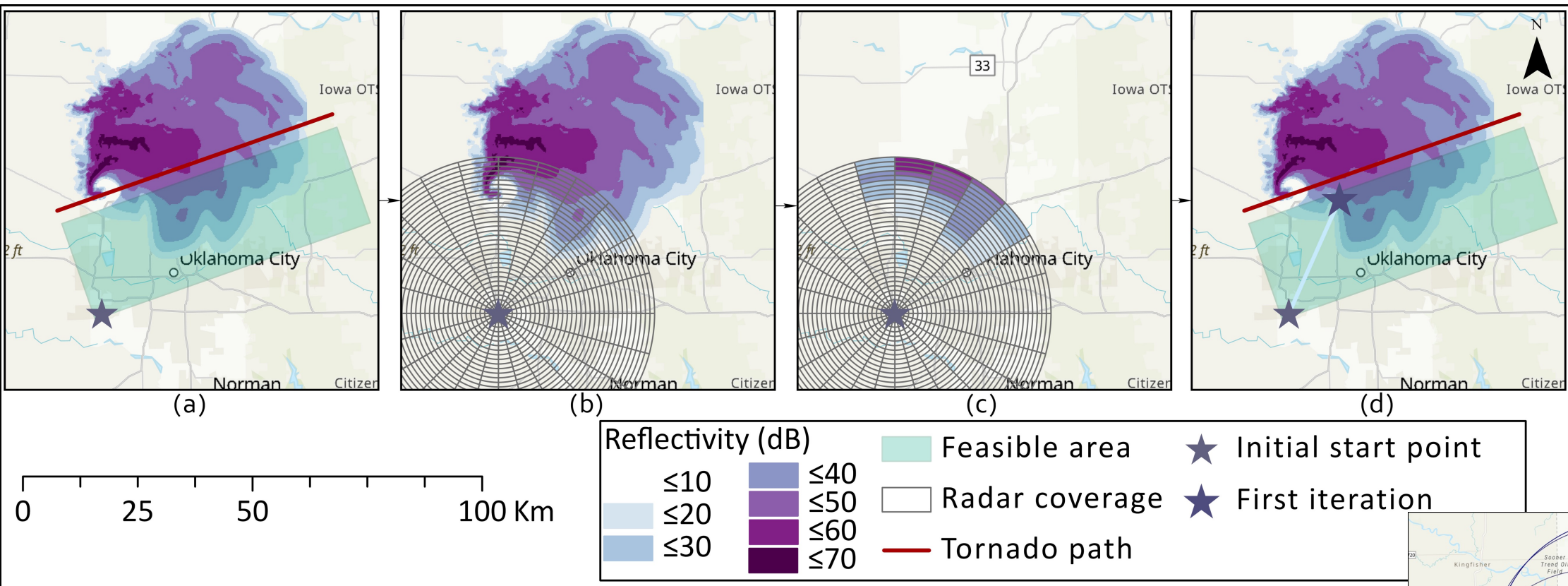
Case study:

- Four counties in central Oklahoma, USA: Canadian County, Oklahoma County, Logan County, and Kingfisher County
- This region has experienced severe weather conditions, including hailstorms and tornadoes, for many years.
 - Moore tornado on May 20, 2013
 - Oklahoma City hailstorm on May 16, 2010

CM1-simulated reflectivity
fields for a supercell storm

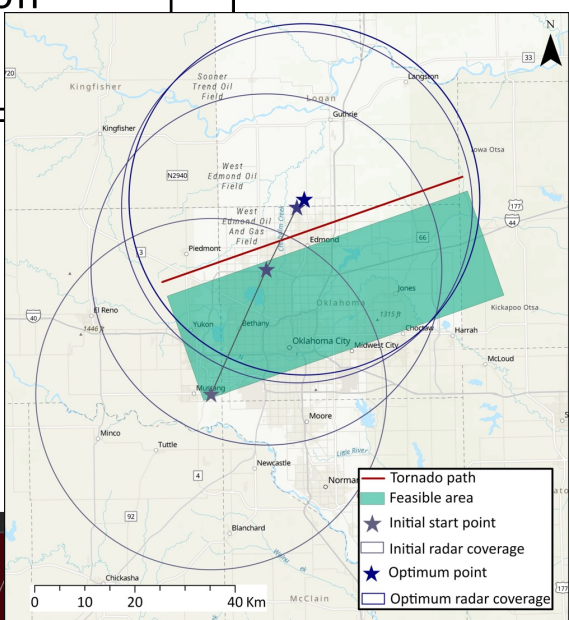
(4.308 km elevation from the ground)

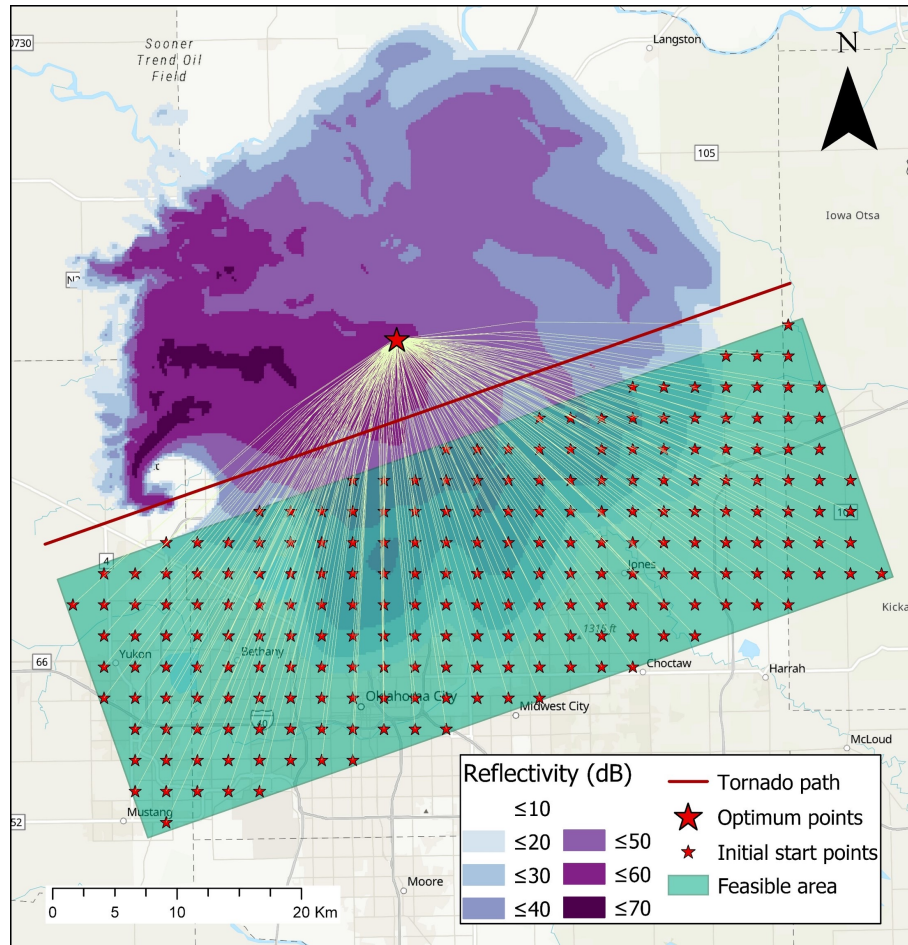
One iteration of updating the mobile radar position



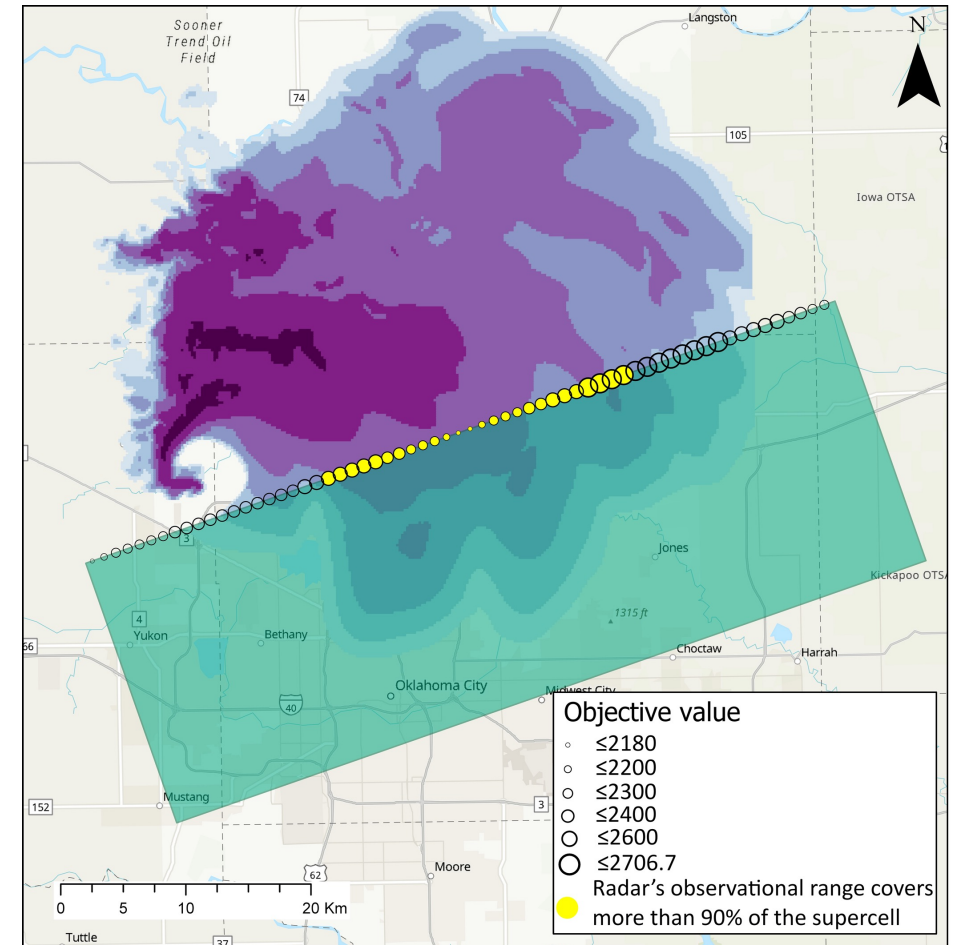
- Simulated supercell:
- Over the northern area of Oklahoma City
- Move from the southwest to the northeast

A converge process



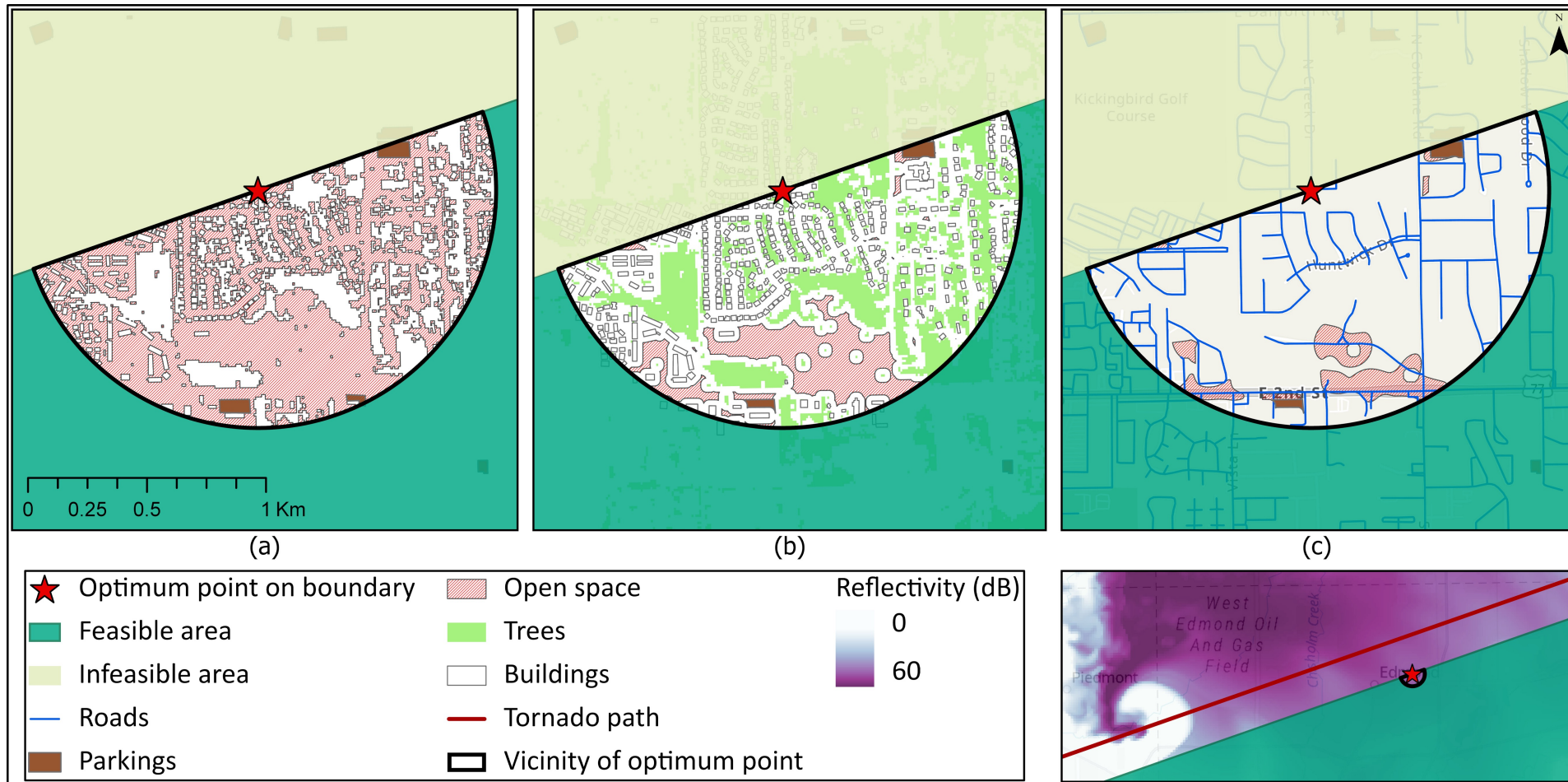


Finding convergent locations starting from different starting positions.



Focusing on locations on a boundary of the feasible area.

- Mobile radar vehicle parking spaces within 1 kilometer to our solution.
- Parking areas and open spaces are two significant land cover types: (1) at least 25 m away from buildings and trees (2) accessible by road (3) they are larger than 400 m²



Conclusion

- Mobile ground-based polarimetric radars provide enhanced observations of severe weather phenomena when positioned near precipitation systems.
- A structured and systematic modeling approach is proposed using GIS and spatial optimization to support the decision-making process.
- By complementing human judgment with quantitative modeling, the process of selecting mobile radar locations is logical, rational, transparent, and reproducible.



Future work

- Including other radar variables or derived products (application-specific) in the objective function would be important.
- Optimizing multiple radars with different coverage and scattering properties would be important for field projects .
- Improve numerical weather prediction by locating mobile radar vehicles.



Thank you!

Dr. Xin (Selena) Feng

*Assistant Professor
Department of Geography and Environmental
Sustainability
The University of Oklahoma
Email: selena.feng@ou.edu*

