An Eddy-Diffusivity Mass-Flux (EDMF) Boundary Layer Parameterization Combined with a Higher-Order Turbulence Closure Model in the NCEP GFS

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27th Conference on Weather Analysis and Forecasting / 23<sup>rd</sup> Conference on Numerical Weather Prediction, June 29 – July 3, 2015, Chicago, IL

## **Motivation**

- NCEP GFS of which the vertical turbulent mixing scheme is based on first-order turbulence closure model suffers from a large cold near-surface temperature bias during sunset especially for clear, calm wind conditions.
- A higher-order turbulence closure model may better handle vertical turbulent mixing in the residual layer after sunset due to its memory of turbulence, and thus, may help reduce the near-surface temperature bias.
- Major problem of the higher-order closure model is underdevelopment of daytime PBL growth due to lack of non-local mixing.
- The non-local mixing can now be included in the higher-order closure model by a mass-flux scheme which has been recently implemented into the GFS PBL scheme.
- For the higher-order turbulence closure model, we employ a turbulent kinetic energy (TKE) closure model.

Current GFS hybrid EDMF PBL scheme

$$\overline{w'\phi'} = -(K_{sfc} + K_{sc})\frac{\partial\phi}{\partial z} + K_{sfc}\gamma_{\phi} \qquad \text{Weakly unstable PBL}$$

$$\overline{w'\phi'} = -(K_{sfc} + K_{sc})\frac{\partial\overline{\phi}}{\partial z} + M_{u}(\phi_{u} - \overline{\phi})|_{sfc} \qquad \text{Strongly unstable PBL}$$

$$K_{sfc} = \Pr^{-1}\kappa w_{s}z \left(1 - \frac{z}{h}\right)^{2} \qquad K_{h}^{sc} = 0.85\kappa V_{sc}\frac{(z - z_{b})^{2}}{h_{b} - z_{b}} \left(1 - \frac{z - z_{b}}{h_{b} - z_{b}}\right)^{1/2}$$

**TKE-based EDMF PBL scheme** 

$$\overline{w'\phi'} = -K_{\phi} \frac{\partial \overline{\phi}}{\partial z} + M_{u}(\phi_{u} - \overline{\phi})|_{sfc} - M_{d}(\phi_{d} - \overline{\phi})|_{sc}$$
$$K_{\phi} = cl_{k}\sqrt{\overline{e}}, \quad \overline{e} = 0.5\left(\overline{u'^{2}} + \overline{v'^{2}} + \overline{w'^{2}}\right) \quad \text{Mean TKE}$$

 $l_k$  is a turbulent mixing length

$$\frac{d\overline{e}}{dt} = -\frac{\partial}{\partial z} \left( \overline{w'e'} + \frac{1}{\rho} \overline{w'p'} \right) - \overline{u'w'} \frac{\partial \overline{u}}{\partial z} - \overline{v'w'} \frac{\partial \overline{v}}{\partial z} + \frac{g}{\overline{\theta_v}} \overline{w'\theta_v'} - D$$

Note that shear and buoyancy production terms of TKE are strongly influenced by the mass flux (MF) term.

 $\partial t$ 

$$\overline{w'\phi'} = -K_{\phi} \frac{\partial \overline{\phi}}{\partial z} + M_{u}(\phi_{u} - \overline{\phi})|_{sfc} - M_{d}(\phi_{d} - \overline{\phi})|_{sc}$$

$$\overline{w'e'} + \frac{1}{\rho} \overline{w'p'} \approx \overline{w'e'} = -K_{e} \frac{\partial \overline{e}}{\partial z} + M_{u}(e_{u} - \overline{e})|_{sfc} - M_{d}(e_{d} - \overline{e})|_{sc}$$

$$D = c_{d} \frac{\overline{e}^{3/2}}{l_{d}} \qquad \text{TKE dissipative rate}$$

$$c_{d} = 0.714 \text{ (Bougeault \& Lacarrere [BL], 1989)}$$

$$C_{p} \frac{\partial \overline{T}}{\partial t} \approx D \qquad \text{TKE dissipative heating}$$

Turbulent mixing length scale  $(l_k)$ : combination of formulation for surface layer  $(l_1)$  and a characteristic length scale  $(l_2)$ 

$$\frac{1}{l_k} = \frac{1}{l_1} + \frac{1}{l_2}$$

$$l_1 = \kappa z \left(1 + 2.7 \frac{z}{L}\right)^{-1} \quad 0 \le z/L < 1$$

$$l_1 = \kappa z \left(1 - 100 \frac{z}{L}\right)^{0.2} \quad z/L < 0$$
Nakanishi (2001)

$$l_2 = \left(l_{up} l_{down}\right)^{1/2} \qquad l_d = l_2$$

$$\int_{z}^{z+l_{up}} \frac{g}{\overline{\theta}_{v}} \left(\overline{\theta}_{v}(z) - \overline{\theta}_{v}(z')\right) dz' = \overline{e}(z)$$
$$\int_{z-l_{down}}^{z} \frac{g}{\overline{\theta}_{v}} \left(\overline{\theta}_{v}(z') - \overline{\theta}_{v}(z)\right) dz' = \overline{e}(z)$$

BL (1989) relates the length scale to the distance that a parcel having an initial TKE can travel upward and downward before being stopped by buoyance effects.

In original BL (1989)

$$l_2 = \min(l_{up}, l_{down}) \quad \text{for } l_k \qquad \qquad l_d = (l_{up} l_{down})^{1/2}$$

1) MF scheme for updraft due to daytime surface heating

$$\begin{aligned} \frac{\partial W_u^2}{\partial z} &= -b_1 \varepsilon W_u^2 + b_2 g \frac{\theta_{v,u} - \overline{\theta_v}}{\overline{\theta_v}} & \text{Updraft velocity equation} \\ M_u &= a_1 W_u & a_1 = 0.1 \text{ (core updraft fraction), Soares et} \\ \frac{\partial \phi_u}{\partial z} &= -\varepsilon (\phi_u - \overline{\phi}), \quad \phi = \theta, q_v, \dots, \\ \theta_{v,u}(z_1) - \overline{\theta_v}(z_1) &= \alpha \frac{(\overline{w' \theta_v'})_s}{e^{1/2}(z_1)} & \alpha = 1.0 \end{aligned}$$
  
Entrainment rate:  $\varepsilon = \frac{C_e}{l_2 + \Delta z} & c_e = 0.7 \& \varepsilon = \min(\varepsilon, 0.002) \\ \text{Witek et al. (2011):} & \varepsilon = \frac{C_e}{l_2} \end{aligned}$ 

2)  $M_d$  and  $\phi_d$  for stratocumulus-top-driven downdraft are also derived in a similar way to updraft above (not shown)

### GFS Single Column Model (SCM) experiments

- Initial  $\theta$  profile:  $\theta = 288 K + (3 K km^{-1})z$
- Constant buoyancy flux at surface:  $8 \times 10^{-3} m^2 s^{-3}$
- Vertical resolution:  $\Delta z = 50m$
- These settings are same as LES, the integrations have been conducted for 8 hours, and the SCM results are compared with the LES at 8 forecast hours.
- For the SCM, the integration was continued for additional 12 hours with a negative constant heat flux of -0.2 *Kms*<sup>-1</sup> after 8*h* PBL development.
- The experiments were also conducted with the coarse operational GFS vertical resolution which is about  $\Delta z=170m$  at z=1km and  $\Delta z=260m$  at z=2km with 64 vertical levels.

### SCM result of local TKE closure and TKE-based EDMF schemes compared with LES



## SCM results with current operational GFS vertical grid size (L64)



### EDMF-TKE & EDMF-CTL SCM results for $\theta$ profiles with increasing forecast hours for a given constant surface cooling after sunset





OBS: Wangara experiment (Clarke et al. 1971)

After Nakanishi et al. (2014)

Lack of PBL after 1500 LST in observation is a result of subsidence in a high pressure system that is not included in LES.

The discrepancy between LES and observation especially after 2400 LST could be a mesoscale horizontal advection that is not included in LES.

### Comparison of $\theta$ profile & model first layer temperature



### Cold 2-m temperature bias in GFS over Appalachian mountains during sunset (00Z)



Courtesy: Geoff Manikin (NCEP/EMC)

# Comparison of 2-m temperature (K) for 3D real case run



EDMFTKE – EDMFCTL at 00Z, 08/27/2014 (12 FH)

## **Summary and conclusion**

- A TKE-based EDMF PBL scheme has been developed and successfully simulates daytime well-mixed PBL, nighttime deepening stable boundary layer (SBL) and residual layer above the SBL, with a good agreement with the LES results.
- The new scheme predicts a PBL feature very similar to that from the current operational GFS hybrid EDMF PBL scheme (which is based on first-order K-profile method) although a significant difference is found in some areas in a 3D real case run, and thus, it doesn't help to reduce the cold 2-m temperature bias during sunset (which would be more related to the surface layer physics).
- Unlike the present GFS EDMF scheme, however, the tunable parameters in the new scheme is not much sensitive to vertical grid resolution.
- For future studies, we plan to test the new scheme for
  - 1) marine stratocumulus-topped boundary layer case (e.g., DYCOMS experiment)
  - 2) stable boundary layer case (e.g., GABLES experiment)
  - 3) real time forecasts for longer term in the current operational GFS

