A moist potential vorticity perspective on the presence of inertial instability along the subtropical jet during the extratropical transition process

## Ian C. Beckley<sup>1</sup> Ángel F. Adames Corraliza<sup>1</sup>

 $^1 University \ of Wisconsin-Madison$ 

6 May 2024

### <u>Inertial instability in</u> <u>the PV<sup>1</sup> framework</u>

Inertial instability is present when the local absolute vorticity is signed oppositely the Coriolis parameter

 $(\zeta_g + f)f < 0$ 

In a statically stable atmosphere, inertial instability is present when the PV is negative (in the Northern Hemisphere)

$$P = -g\zeta_a \frac{\partial\theta}{\partial p}$$

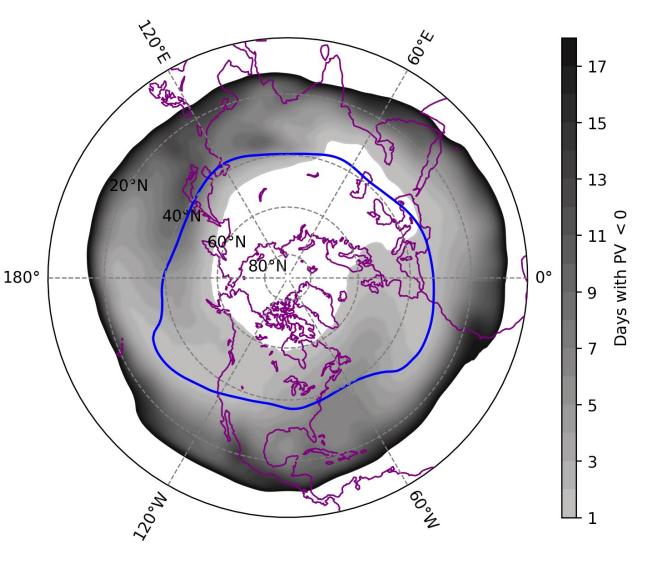


Fig. 1 – The number of September days with PV < 0, and the mean location of the September subtropical jet (blue line) in the 330-360K isentropic layer over the period 1995-2020 in the JRA reanlysis

<sup>1</sup> potential vorticity

### <u>Inertial instability in</u> <u>the PV<sup>1</sup> framework</u>

Inertial instability is present when the local absolute vorticity is signed oppositely the Coriolis parameter

 $(\zeta_g + f)f < 0$ 

In a statically stable atmosphere, inertial instability is present when the PV is negative (in the Northern Hemisphere)

$$P = -g\zeta_a \frac{\partial\theta}{\partial p}$$

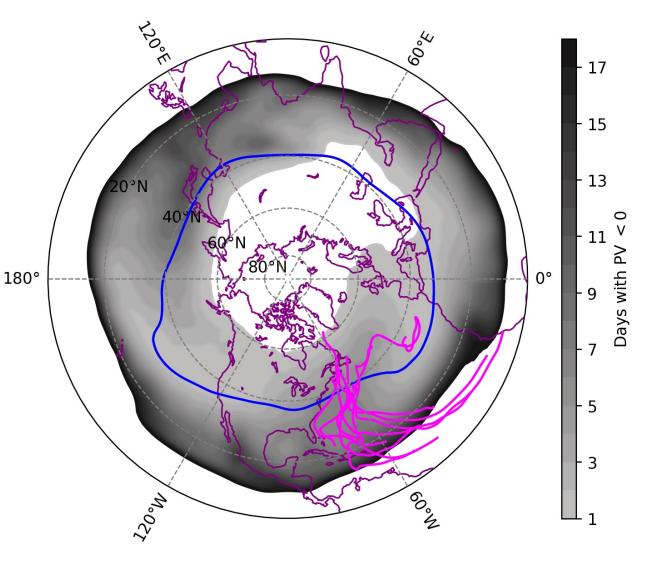


Fig. 1 – The number of September days with PV < 0, and the mean location of the September subtropical jet (blue line) in the 330-360K isentropic layer over the period 1995-2020 in the JRA reanlysis

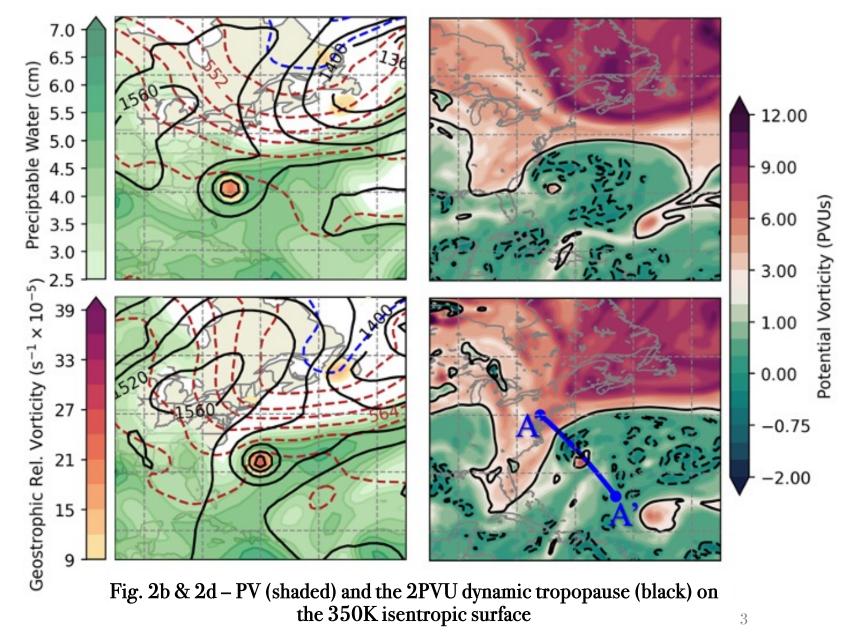
1 potential vorticity

# $\frac{Humberto}{16 \text{ Sep 2019}}$

# Decent environment for extra-tropical transition

- Deepening upper-level trough
- Ample precipitable water

Fig. 2a & 2c – 850 hPa geopotential height (black), 1000-500 hPa thickness (dashed red/blue), geostrophic relative vorticity (shaded oranges), and precipitable water (shaded greens)



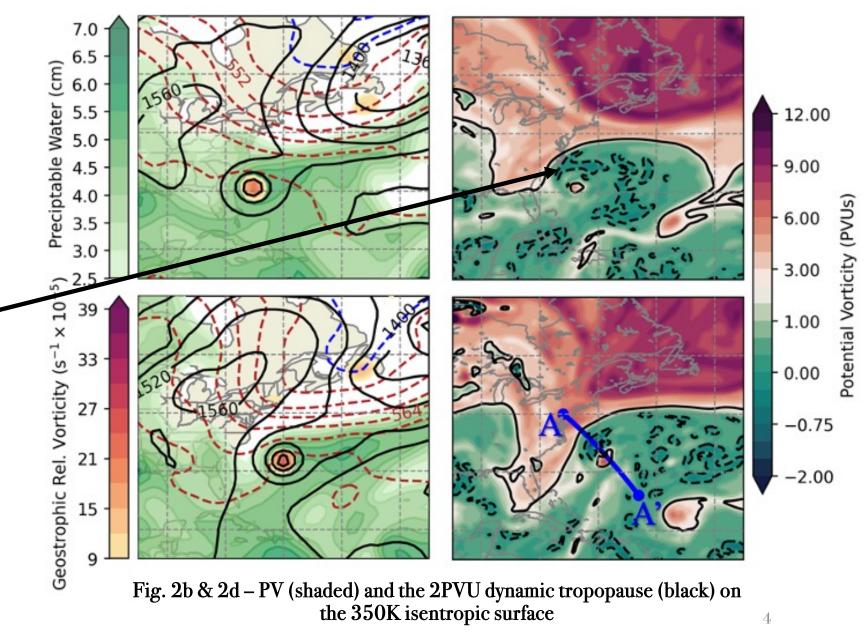
# $\frac{Humberto}{16 \text{ Sep 2019}}$

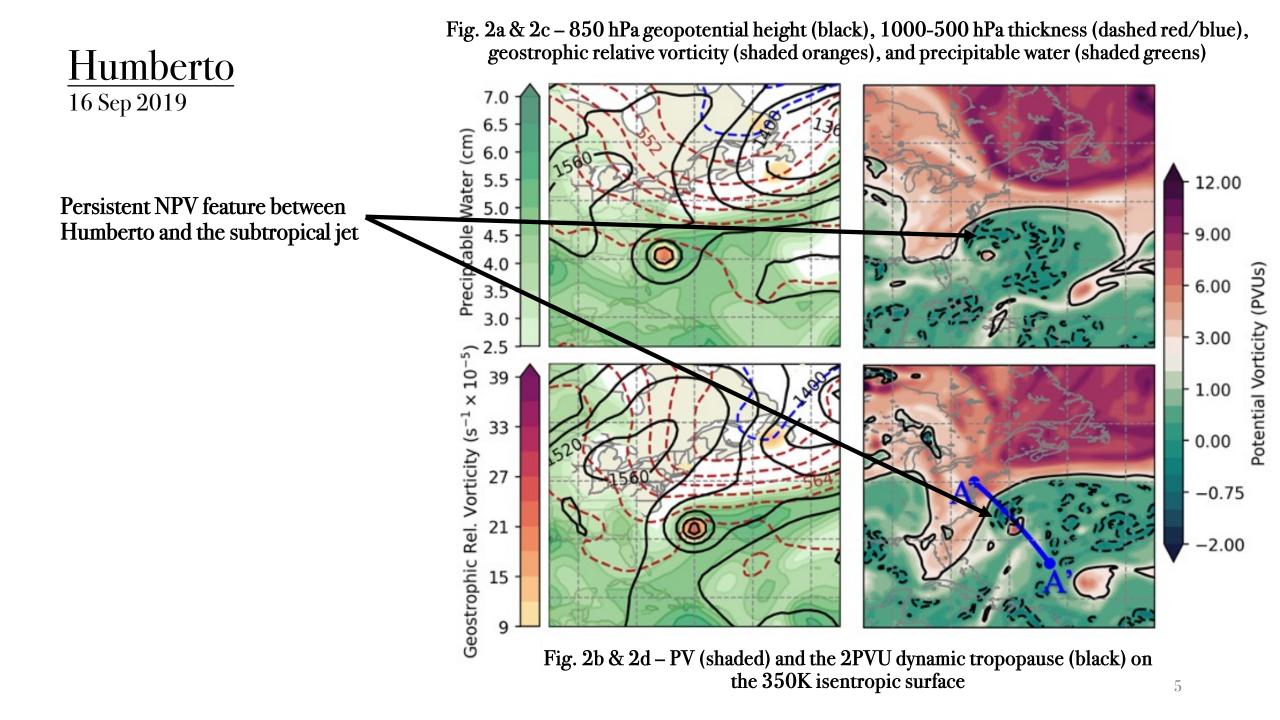
Decent environment for extra-tropical transition

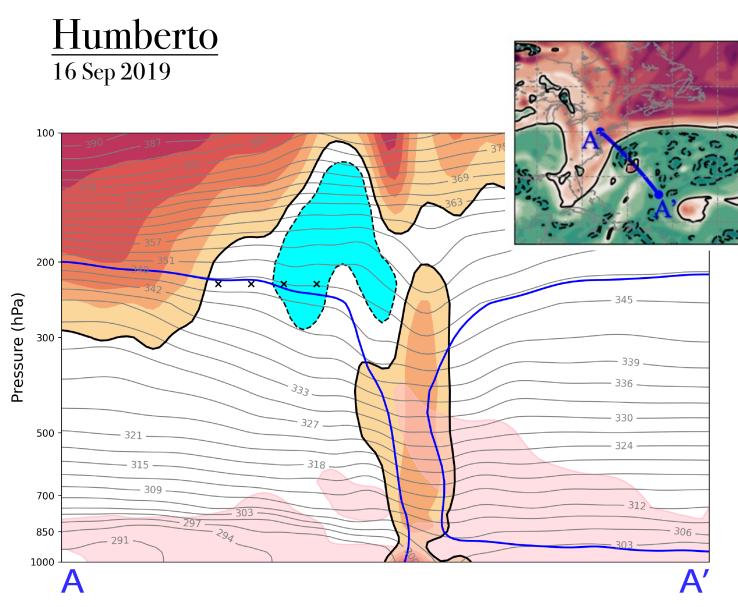
- Deepening upper-level trough
- Ample precipitable water

Large-scale, semi-coagulated NPV streamer in the upper-level ridge

Fig. 2a & 2c – 850 hPa geopotential height (black), 1000-500 hPa thickness (dashed red/blue), geostrophic relative vorticity (shaded oranges), and precipitable water (shaded greens)







**Grey lines - isentropes** 

Orange shading – PV > 2PVU

Teal – Negative PV/inertial instability

Pink – Convective instability

Blue line – Moist entropy current

Fig. 3 – The 2PVU dynamic tropopause (black) and PV > 2 (shaded orange), potential temperature (grey), PV < -.4 (dashed black and shaded blue), the 348 K moist isentrope (blue), and the portion of the atmosphere that is convectively unstable (pink)

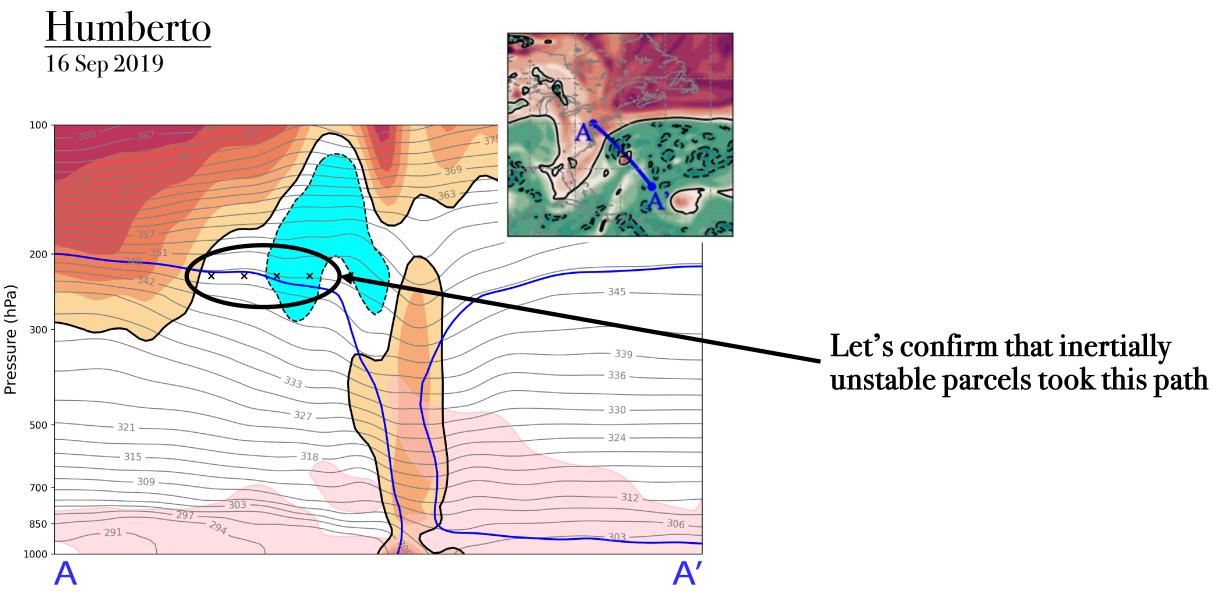
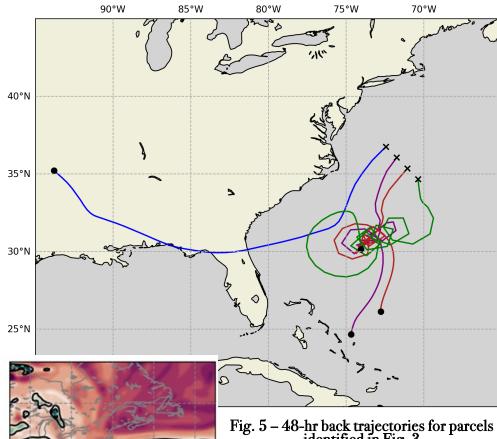
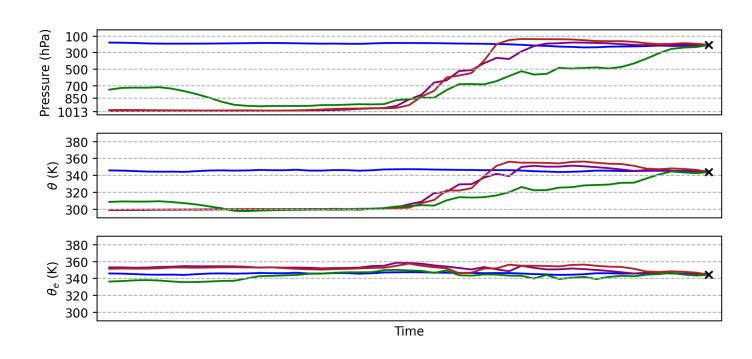


Fig. 3 – The 2PVU dynamic tropopause (black) and PV > 2 (shaded orange), potential temperature (grey), PV < -.4 (dashed black and shaded blue), the 348 K moist isentrope (blue), and the portion of the atmosphere that is convectively unstable (pink)

#### Humberto 16 Sep 2019





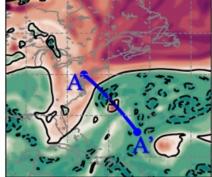
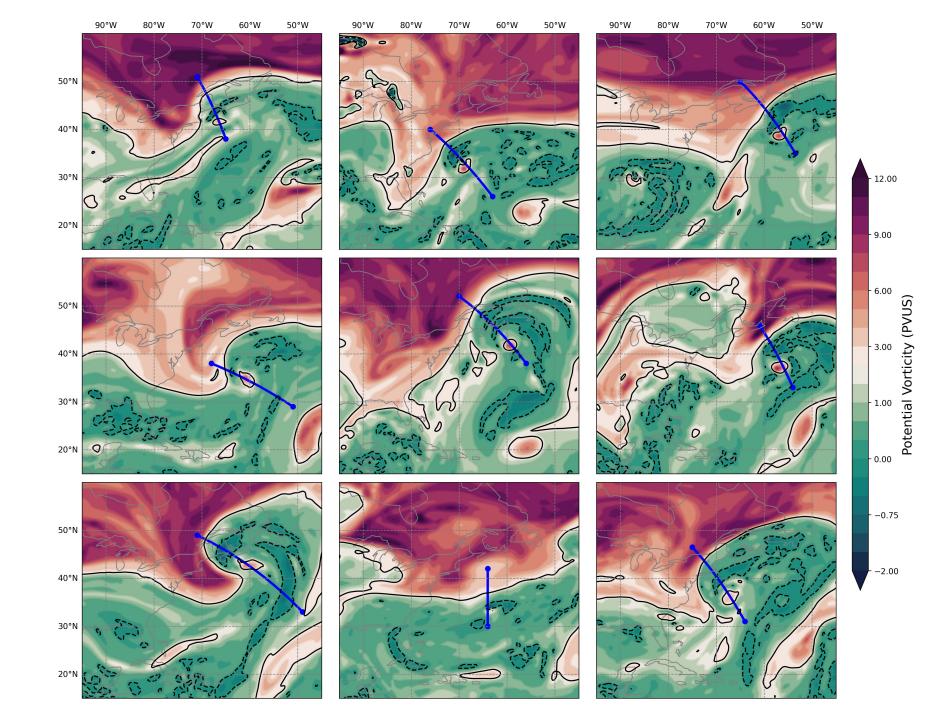
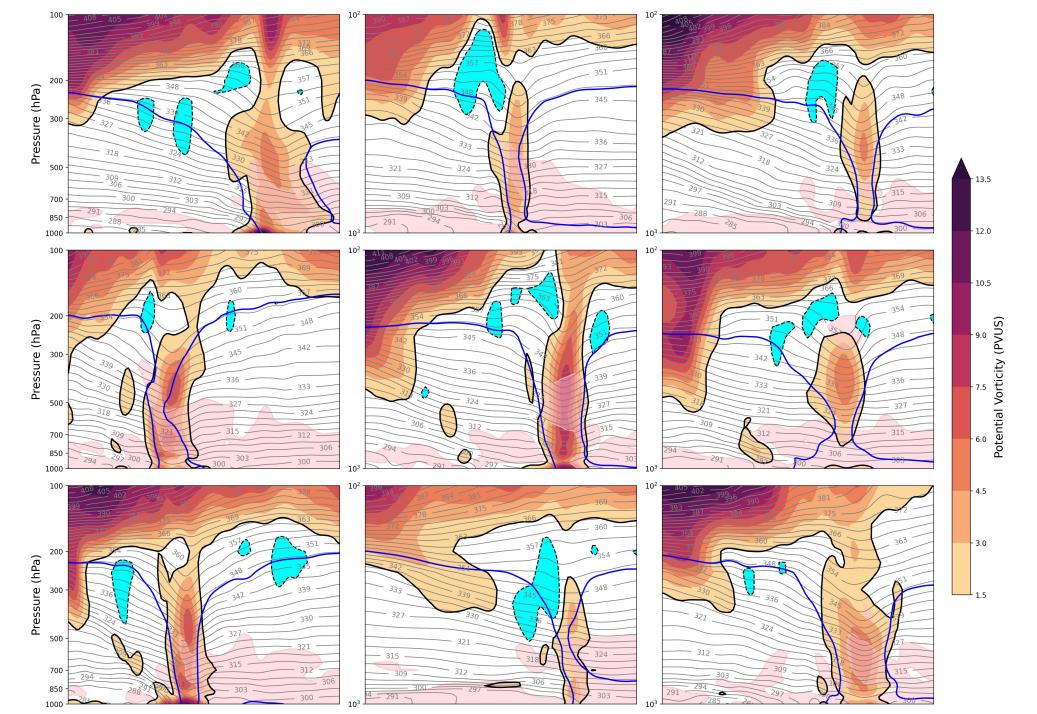
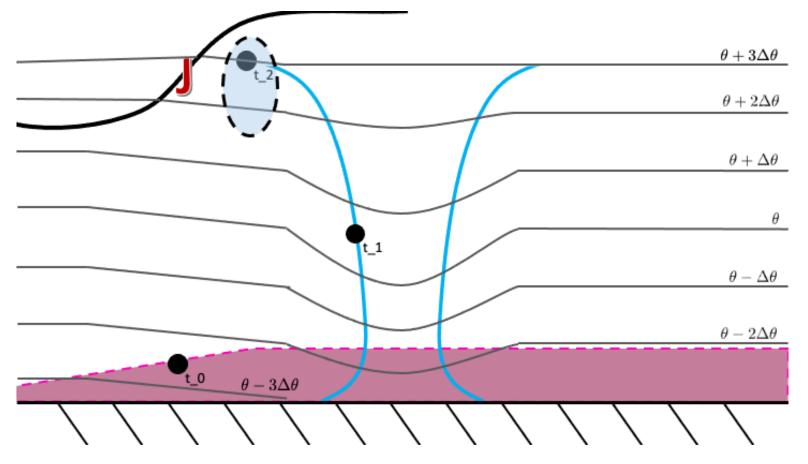


Fig. 5 – 48-hr back trajectories for parcels identified in Fig. 3





## Conceptual Model



Consider the vertical component of equivalent potential vorticity (MPV)

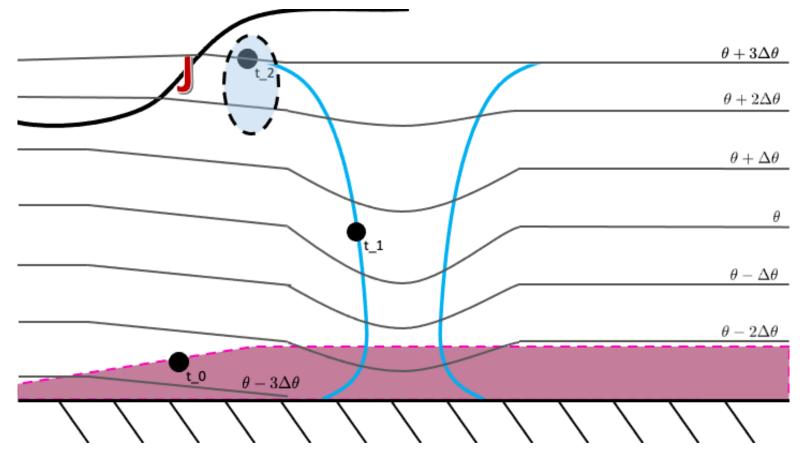
$$P_e = -g\zeta_a \frac{\partial \theta_e}{\partial p}$$

Let's check the sign of the boundary-layer MPV

-=-(+)(+)

Fig. 4 – As in Fig. 3, except for an arbitrary tropical cyclone near the subtropical jet.

## Conceptual Model



Conserving MPV for frictionless, saturated processes

 $\left(\zeta_a \frac{\partial \theta_e}{\partial p}\right)_0 = \left(\zeta_a \frac{\partial \theta_e}{\partial p}\right)_2$ 

Boundary-layer convective instability was "traded" for inertial instability aloft

Fig. 4 – As in Fig. 3, except for an arbitrary tropical cyclone near the subtropical jet.

Funding is provided under Ángel F. Adames Corraliza's NSF CAREER grant titled "Understanding how moist processes shape tropical motions

Wrapping up

- The "end-points" method presented here requires a full-3D, along-flow perspective
- 2) This moist PV framework must be consistent with an Ertel's PV perspective which includes diabatic PV tendencies following

Stop by poster #42 to see this term in action!

 $\frac{dP}{dt} = \nabla \cdot \vec{\zeta_a} \dot{\theta}$