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**OBJECT-ORIENTED CLUSTERING ANALYSIS OF CAPS CONVECTIVE SCALE ENSEMBLE FORECASTS FOR THE NOAA HAZARDOUS WEATHER TESTBED SPRING EXPERIMENT: A FIRST STEP TOWARD OPTIMAL ENSEMBLE CONFIGURATION FOR CONVECTIVE SCALE PROBABILISTIC FORECASTING**

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**1. INTRODUCTION**

This study is a first step toward understanding the impacts and importance of the sources of uncertainties in model physics, model dynamics, and initial and lateral boundary conditions (IC/LBC) for convection-allowing ensemble forecasts. Some of the key issues for future study of optimal ensemble design and post-processing are inferred through a Hierarchical Cluster Analysis (HCA) of a 20-member convection allowing ensemble from the 2009 Hazardous Weather Testbed (HWT) Spring Experiment (Xue et al 2009). Non-precipitation variables (10m Wind Speed and 500hPa Temperature) are clustered using Ward's minimum variance algorithm (Ward 1963) and hourly accumulated precipitation is clustered using a new object-oriented form of Ward's algorithm.

Ward's algorithm is traditionally based on Euclidean distance which often does not agree with subjective evaluation of convection-allowing precipitation forecasts (Baldwin et al 2001). Precipitation forecasts are therefore evaluated using the object-oriented Method for Object-based Diagnostic Evaluation (MODE; Davis et al 2006). MODE is used to compute an Object-based Threat Score (OTS) that is defined, discussed, and compared to a Neighborhood-based Euclidean Distance (NED) in the present study. It is found that OTS is a more effective distance measure for the HCA than NED and that OTS is more effective when forecast objects have a fuzzy degree of similarity rather than a binary classification as matching or not matching. Therefore "Fuzzy" OTS is used to create dendrograms composited over multiple forecasts in order to better understand the systematic clustering of explicit forecasts of convection.

The design of the CAPS ensemble that is analyzed in this study is summarized in Table 1. The control members used initial conditions from the operational NCEP NAM analysis with additional radar observations, along with mesoscale wind and temperature observations, assimilated using ARPS 3DVAR and cloud analysis (Hu and Xue 2007). One member from each of the three models (ARW C0, NMM C0, and ARPS C0) used identical configuration to the control member with the same model (ARW CN, NMMCN and ARPS CN respectively) except without radar and mesoscale data assimilation. Initial condition perturbations were generated by taking the control analysis as a base state and adding only the perturbations from the NCEP SREF members indicated in Table 1. Perturbed LBCs were taken directly from the SREF member forecasts, while control member LBCs were taken directly from NCEP NAM forecasts. A more thorough description of the Spring Experiment and the CAPS ensemble design is found in Xue et al (2009).

The goal of this study is to infer the issues related to ensemble design that require further research in order to optimally design useful ensembles for the explicit prediction of convective-scale phenomena such as severe storms. It is found that object-oriented precipitation forecasts cluster primarily by model dynamics at all forecast times, with secondary sub-clusters corresponding to microphysics scheme at 3hr forecast time (valid 03UTC) and, for NMM members, according to Planetary Boundary Layer (PBL) scheme at 24hr forecast time (valid 00UTC). 10m Wind speed forecasts initially cluster primarily by PBL scheme at 3hr forecast time (valid 03UTC) then cluster by IC/LBC perturbations at 24hr forecast time (valid 00UTC). Temperature forecasts at 500hPa cluster according to IC/LBC at all times. Many of the results of this study indicate that optimal ensemble design strategies can vary depending on several factors, including forecast lead time and time of day, variables of interest, and modeling system(s) or configuration(s) used in the ensemble.

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Member	IC	LBC	R	MP	PBL	SW	LSM
ARW CN	ARPSa	NAMf	Y	Thom. (@)	MYJ (^)	Goddard	Noah
ARW C0	NAMa	NAMf	N	Thom. (@)	MYJ (^)	Goddard	Noah
ARW N1	CN – em	em N1	Y	Ferr. (\$)	YSU (&)	Goddard	Noah
ARW N2	CN – nmm	nmm N1	Y	Thom. (@)	MYJ (^)	Dudhia	RUC
ARW N3	CN - etaKF	etaKF N1	Y	Thom. (@)	YSU (&)	Dudhia	Noah
ARW N4	CN - etaBMJ	etaBMJ N1	Y	WSM6 (#)	MYJ (^)	Goddard	Noah
ARW P1	CN + em	em P1	Y	WSM6 (#)	MYJ (^)	Dudhia	Noah
ARW P2	CN + nmm	nmm P1	Y	WSM6 (#)	YSU (&)	Dudhia	Noah
ARW P3	CN + etaKF	etaKF P1	Y	Ferr. (\$)	MYJ (^)	Dudhia	Noah
ARW P4	CN + etaBMJ	etaBMJ P1	Y	Thom. (@)	YSU (&)	Goddard	RUC
NMM CN	ARPSa	NAMf	Y	Ferr. (\$)	MYJ (^)	GFDL	Noah
NMM C0	NAMa	NAMf	N	Ferr. (\$)	MYJ (^)	GFDL	Noah
NMM N2	CN - nmm	nmm N1	Y	Ferr. (\$)	YSU (&)	Dudhia	Noah
NMM N3	CN - etaKF	etaKF N1	Y	WSM6 (#)	YSU (&)	Dudhia	Noah
NMM N4	CN - etaBMJ	etaBMJ N1	Y	WSM6 (#)	MYJ (^)	Dudhia	RUC
NMM P1	CN + em	em P1	Y	WSM6 (#)	MYJ (^)	GFDL	RUC
NMM P2	CN + nmm	nmm P1	Y	Thom. (@)	YSU (&)	GFDL	RUC
NMM P4	CN + etaBMJ	etaBMJ P1	Y	Ferr. (\$)	YSU (&)	Dudhia	RUC
ARPS CN	ARPSa	NAMf	Y	Lin	TKE	2-layer	Noah
ARPS C0	NAMa	NAMf	n	Lin	TKE	2-layer	Noah

Table 1: Details of ensemble configuration, modified from Xue et al (2009), showing the IC/LBC source, whether radar data is assimilated (R), and which microphysics scheme (MP), planetary boundary layer scheme (PBL), shortwave radiation scheme (SW), and land surface model (LSM) was used with each member. Symbols identifying MP and PBL schemes in other figures are also included. Perturbations added to CN members and LBC conditions are from NCEP SREF (Du et al 2006).

Attribute	Weight	Confidence
Centroid Distance	2.0	AR
Area Ratio	2.0	1.0 if $CD \leq 160$ km $1 - [(CD - 160) / 640]$ if $160 \text{ km} < CD < 800$ km 0.0 if $CD \geq 800$ km
Aspect Ratio Difference	1.0	CDI * AR
Orientation Angle Difference	1.0	$CDI * AR * \sqrt{a^2 + b^2}$ Where a,b are $\left(\frac{T-1}{T+1}\right)^{0.3}$ for the two objects being compared

Table 2: Attributes and parameter values used for MODE fuzzy matching algorithm. (CD denotes Centroid Distance, CDI denotes Centroid Distance Interest, AR denotes Area Ratio, T denotes aspect ratio)

## 2. OBJECT-ORIENTED CLUSTER ANALYSIS

HCA iteratively merges  $N$  clusters of 1 forecast each into 1 cluster of  $N$  forecasts, where  $N$  is the number of forecasts being clustered. This study uses Ward's algorithm to determine which two clusters to merge next. Ward's algorithm merges the two clusters which result in the smallest increase of total within cluster Error Sum of Squares (ESS) (Ward 1963). Ward's algorithm is modified for use with convection-allowing precipitation forecasts by replacing squared Euclidean distance with an object-

oriented measure of distance and replacing ESS with an object-oriented measure of variability as the objective function to be minimized at each step. HCA results are illustrated with dendrograms (Alhamed et al 2002) showing the entire sequence of cluster merging.

## 2.1 Object-Oriented Distance

In this study, the distance between forecasts is calculated using a new measure, OTS, which is based on total interest,  $I$ , between forecast objects. Total interest is a weighted sum of the interest values for each of  $M$  object attributes (Davis et al 2009):

$$I_j = \frac{\sum_{i=1}^M c_i * w_i * F_{ij}}{\sum_{i=1}^M c_i * w_i} \quad (1)$$

Where  $c$  is the confidence in an attribute,  $w$  is the weight assigned to an attribute, and  $F$  is the interest value of the  $i^{\text{th}}$  attribute for the  $j^{\text{th}}$  pair of objects. The user of MODE must choose several parameters and those most relevant to the present study are illustrated in Table 2, and Figure 1. It should also be noted that a different convolved threshold is used for each ensemble member so the average total area of all objects forecast by a given member is within 5% of the average total area of observed objects. These thresholds are intended to minimize the impact of systematic forecast bias.

The attributes in Table 2 are selected to quantify location (centroid distance), organization (area), and structure (aspect ratio and orientation angle) of intense rainfall. Confidence for angle difference follows Davis et al (2009) to give less weight to angle difference of circular objects, while angle difference and aspect ratio confidence is the product of area ratio (AR) and centroid distance interest (CDI). Thus the effective weights become half location and half size for objects that are far apart or very different in area and become one third location, one third size, and one third structure for objects of similar size in similar locations. This is because as size or location becomes less similar there is less confidence that the objects represent the same feature so it is less relevant whether they have similar structure. The confidence value for area ratio is a function of centroid distance (CD) so that objects that are extremely far apart (i.e. CDI of 0.0) but happen to have similar size (i.e. AR about 1) have a near zero interest (rather than 0.5) since those objects do not correspond to each other.

Figure 1 maps differences in object attributes to a fuzzy interest value. Approximate, rather than precise, location is emphasized by assigning objects with up to 40 km centroid distance an interest value of 1.0. A linear form of all interest functions is chosen for simplicity in lieu of established guidelines otherwise.

The x-intercepts in Figures 1c and 1d are selected to be consistent with subjective evaluations of how well the total interest described the degree of similarity over a large number of different object pairs.

OTS is then calculated between forecast  $i$  and forecast  $j$  as:

$$OTS_{ij} = \frac{1}{A_i + A_j} \left\{ \left[ \sum_{k=1}^{N_i} I_k a_k \right] + \left[ \sum_{k=1}^{N_j} I_k a_k \right] \right\} \quad (2)$$

Where  $A$  is the total area of all objects in the forecast,  $N$  is the number of objects in the forecast,  $a$  is the area of the  $k^{\text{th}}$  object in the forecast, and  $I$  is the fuzzy value of total interest between the  $k^{\text{th}}$  object and its corresponding object in the other forecast. The corresponding object is the object with highest total interest that doesn't already correspond to a different object with higher total interest. Thus each object in one forecast corresponds to exactly one object (at most) in another forecast and the correspondence is the same in reverse.

If  $w$  in eqn (2) were replaced with a binary 1 or 0 depending on whether its corresponding object has total interest above a specified matching threshold, then OTS becomes the Area Weighted Critical Success Index (AWCSI; Weiss et al 2009, also fraction of area in matched objects; Davis et al 2009). Some differences between (fuzzy) OTS and AWCSI (i.e. binary OTS) are discussed further below. When used as a distance measure OTS is first subtracted from 1.

## 2.2 Object-Oriented Variability

Ward's algorithm is modified by defining the distance between clusters as the increase in a new measure of cluster variability, rather than ESS, that would result from a merge of those clusters. Variability is defined as the average distance,  $d$ , between all pairs of forecasts in the cluster, multiplied by  $N-1$  where  $N$  is the number of forecasts in the cluster:

$$\begin{aligned} \text{variability} &= (N-1) * \frac{2}{N * (N-1)} \sum_{i=1}^N \sum_{j=1}^N d_{ij} \\ &= \frac{2}{N} \sum_{i=1}^N \sum_{j=1}^N d_{ij} \end{aligned} \quad (3)$$

When squared Euclidean distance is the distance measure,  $d$ , variability is equal to ESS and the modified Ward's algorithm is equivalent to the traditional Ward's algorithm.

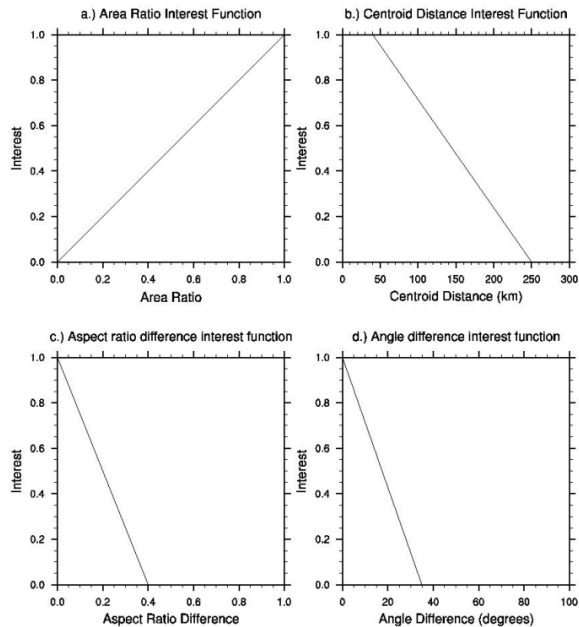


Figure 1: Functions mapping attribute value to interest value for (a) area ratio, (b) centroid distance, (c) aspect ratio difference, and (d) angle difference.

Variability, as defined here, is intended to provide an automated comparison of spread in different groups of forecasts in a way that mimics how a subjective analyst would compare them manually. In this way it is consistent with the intended use of MODE as a way to mimic a subjective analysis (Davis 2009). For example, consider three clusters of three members in Figure 2 from a case study of forecasts valid 00 UTC 14 May 2009. The cluster in column (a) subjectively appears to have a lot of spread since it includes forecasts both with and without an object in east-central IL while the forecasts in MO range from a single linear object, to several small objects, to nothing at all. The cluster in column (b) has less spread because all the forecasts have a large rain area although they have large differences in placement. The cluster in column (c) has the least spread because they all forecast a large rain area in northern IL and have similar placement and structure of objects in MO. This subjective comparison is also reflected in the variability for columns (a), (b) and (c) of 1.36, 1.11, and 0.66 respectively. Most other cases that were subjectively examined exhibited the same correspondence between variability and subjective impressions of spread.

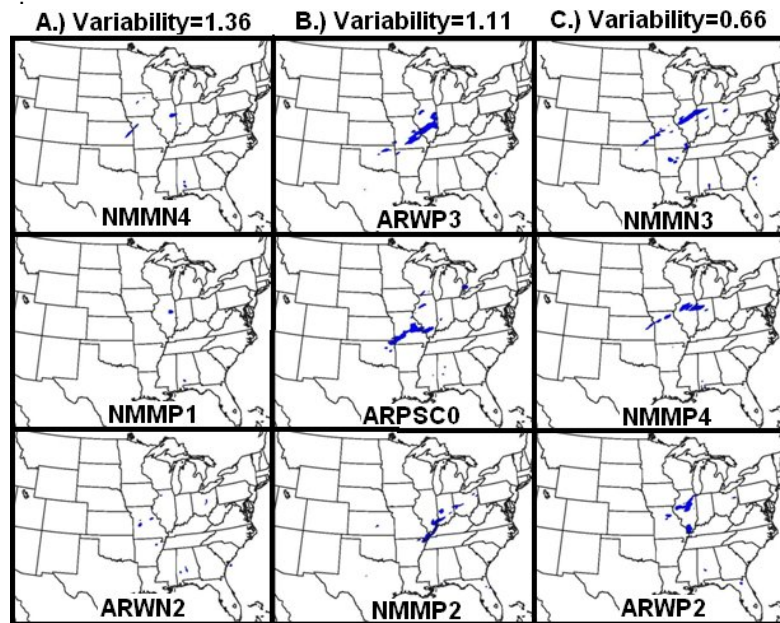


Figure 2: Object-oriented variability for clusters of forecasts valid 00 UTC 14 May 2009 including (a) members NMM N4, NMM P1, and ARW N2, (b) members ARW P3, ARPS C0, and NMM P2, and (c) NMM N3, NMM P4, and ARW P2.

### 2.3 OTS vs. NED

Clusters created using fuzzy OTS as the distance measure (i.e. 1-OTS) with the modified Ward's algorithm are compared to clusters created using Euclidean Distance of Neighborhood probability forecasts with traditional Ward's algorithm (NED). Neighborhood probability is defined as the percentage of grid points within a search radius that exceed a threshold of interest (Theis et al 2005). Clusters created using fuzzy OTS agree with subjective analysis more than clusters created using NED on several case study days (not shown) for two main reasons: OTS accounts for forecast features that are more closely related to convective mode and organization and OTS is not as sensitive as NED to overall forecast precipitation amount because OTS does not suffer from the "double penalty". Even though the neighborhood ED relaxes the strict spatial accuracy required of traditional ED, NED is still unable to properly account for similar forecast features at different locations. This is demonstrated with a brief case study of a severe weather event on 13 May 2009 (Figs. 3 through 5).

In terms of convective mode, organization, and coverage the NMM CN and NMM C0 forecasts subjectively appear more similar to each other than to the ARW P1 forecast. This is because NMM CN and NMM C0 both show a cluster of cells of intense precipitation near the MO/IL border, with a line of smaller and generally weaker cells extending southwestward to the OK/KS border. In contrast, ARW P1 shows just one strong cell in central IL with much weaker showers elsewhere (Fig. 3).

The NED dendrogram (Fig. 3) indicates that NMM CN is more similar to ARW P1 than to NMM C0. A relative lack of intense precipitation in ARW P1, combined with the largest maximum in ARW P1 being precisely co-located with a maximum in NMM CN, decreases NED compared to other members. At the same time, the NED from NMM CN to NMM C0 is penalized once because NMM C0 forecast maxima are at grid points without maxima in NMM CN and is penalized again because NMM C0 has no maxima at the grid points where NMM CN does have maxima. This is the essence of the double penalty.

The OTS dendrogram (Fig. 5) indicates NMM CN and NMM C0 forecasts are particularly similar relative to the other forecasts. This clustering is caused by the similarity of the main forecast features in terms of approximate location, total area, aspect ratio, and orientation angle. These attributes are also more likely to influence the subjective interpretation of severe weather forecasters interested

in convective mode and organization than a Euclidean-based distance.

Another reason that OTS is preferred over NED as a distance measure for this cluster analysis is that NED is very sensitive to the overall precipitation amount. For example, Figure 3 indicates that ARW N2 and NMM P1 are the two most similar forecasts on this case. However, these two forecasts actually have different looking storms in completely different locations (Fig. 4). These members simply have in common an overall lower amount of precipitation than the other forecasts which results in a small Euclidean distance between them. This is also related to a reduced impact of the double penalty.

### 2.4 Binary vs. Fuzzy OTS

Fuzzy OTS has two main advantages over binary OTS, both of which result from the lack of a matching threshold in the fuzzy context.

The first advantage of fuzzy OTS, relative to binary OTS, is an increase in self-consistency of the distances among a large group of forecasts. Binary OTS does not change as large objects get incrementally less similar until the threshold is reached and a sudden large change in distance occurs. The result is that sometimes a large subjective difference between forecasts has little impact on binary OTS while other times a small subjective difference between forecasts has a very large impact on binary OTS. In contrast, fuzzy OTS changes continuously as forecasts get incrementally less similar.

The second advantage of fuzzy OTS is that it is conceptually more robust since it can discriminate matches that are very good from matches that are not as good. In contrast, binary OTS will give 2 forecasts (A and B) an equal distance to a third forecast (C) if the same objects in A and B match the same objects in C. This is true even if the objects in A are subjectively much more similar to the objects in C than are the objects in B. This limitation of binary OTS cannot be avoided by raising the matching threshold because then the limitation would be that all unmatched objects are treated equally.

## 3. CLUSTER ANALYSIS OF COMPOSITE DENDROGRAMS

Fuzzy OTS distance is used to examine systematic clustering of ensemble member forecasts of precipitation at forecast times of 3 and 24 hours, valid 03UTC and 00UTC respectively. Systematic clustering of 10m wind speed and 500hPa

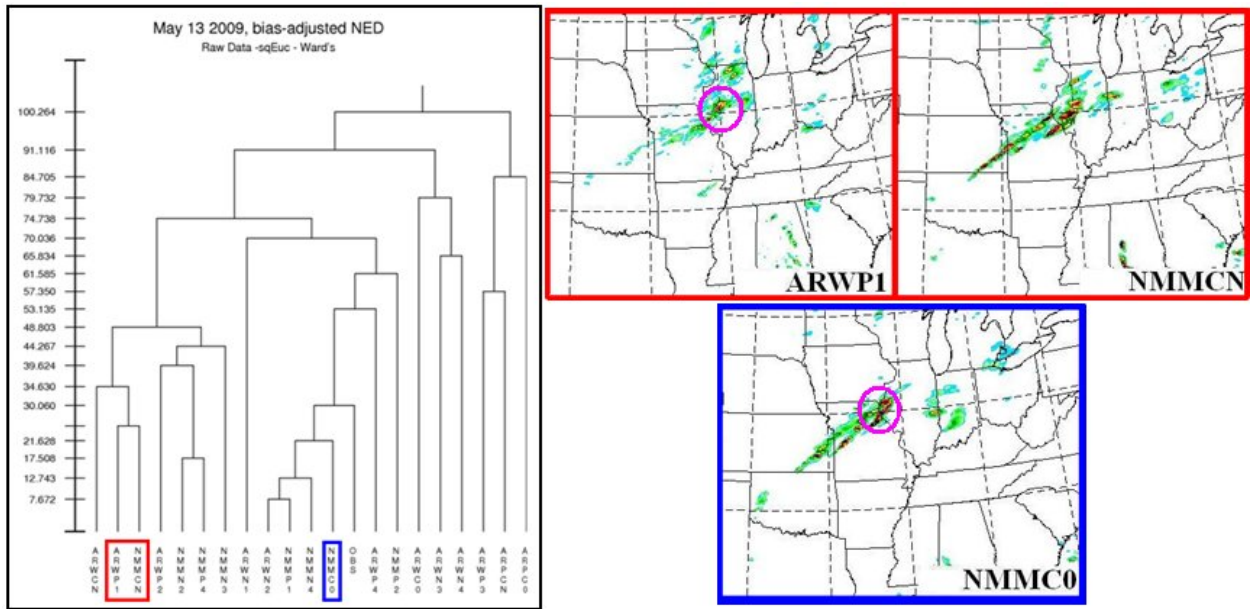


Figure 3: Dendrogram resulting from clustering the forecasts of hourly accumulated precipitation valid at 00UTC 14 May 2009, using NED as the distance measure. Also shown are the raw forecasts from NMM CN, NMM C0 and ARW P1 members.

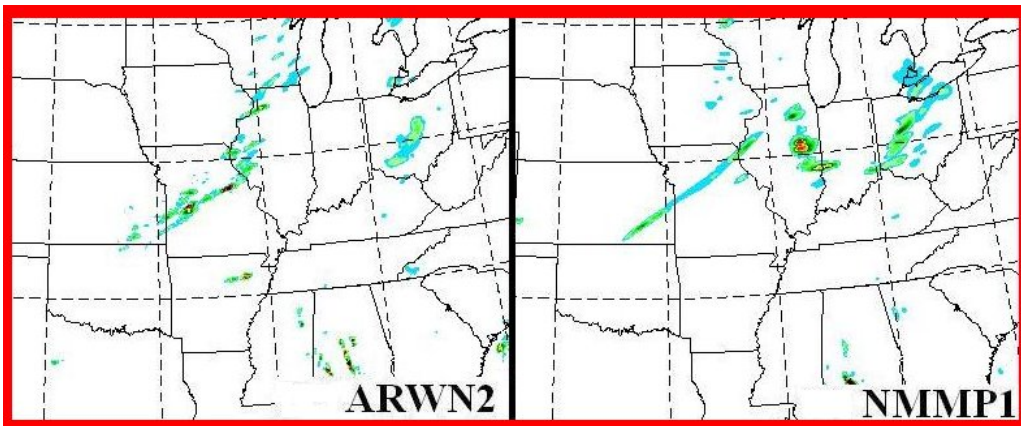


Figure 4: Raw forecasts valid 00UTC 14 May 2009 from ARW N2 and NMM P1 members for comparison to Figure 3.



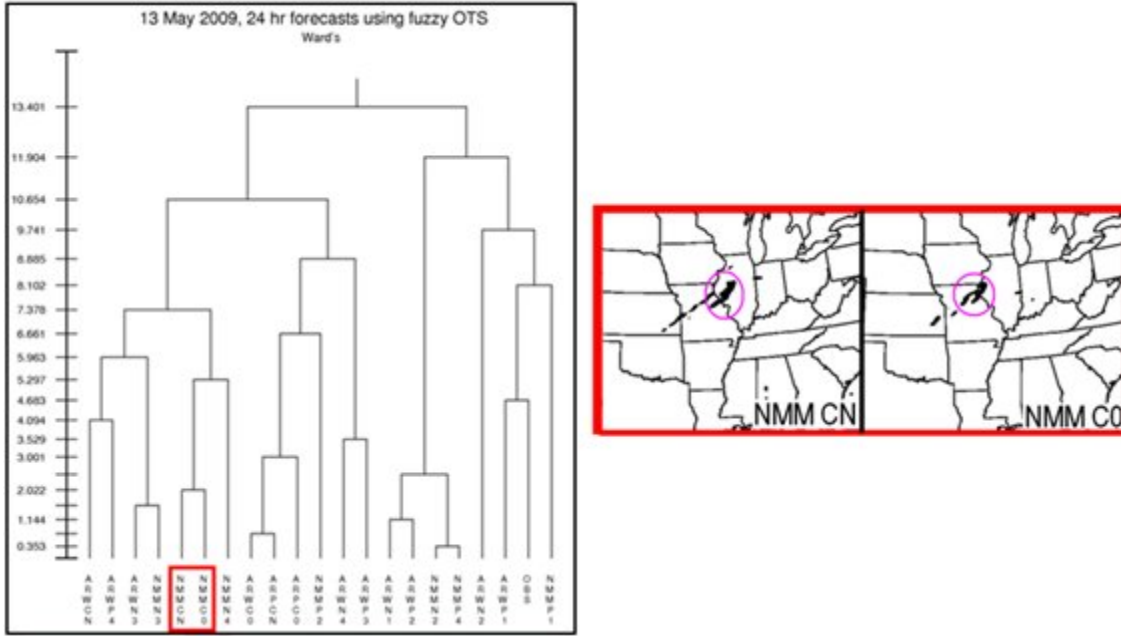


Figure 5: Dendrogram resulting from clustering the forecasts of hourly accumulated precipitation valid at 00UTC 14 May 2009, using fuzzy OTS as the distance measure. Also shown are the MODE objects from NMM CN and NMM C0 members

temperature forecasts are also examined at the same forecast times using traditional Ward's method. The systematic clustering is examined by defining a composite distance between members as the average normalized distance between those members over all cases. The normalized distance is defined as the distance minus the largest distance between any pair in each case, divided by the range of distances on that case.

### 3.1 Hourly Accumulated Precipitation

The composite dendrogram at 3hr lead time (valid 03UTC; Fig. 6a) shows that the primary distinction among members is based on the assimilation of radar and mesoscale data. The remaining members form two clusters according to WRF model dynamics while ARPS CN is included in the ARW cluster. These primary clusters of model dynamics contain sub-clusters that are entirely determined by the microphysics scheme for both ARW and NMM.

The composite dendrogram at 24hr lead time (valid 00UTC; Fig 6b) also contains three primary clusters of members with common model dynamics (ARW, NMM and ARPS). The NMM cluster has two sub-clusters, one containing all the NMM members with MYJ PBL scheme and another containing all the NMM members with YSU PBL scheme. Unlike the

NMM cluster, the ARW cluster does not have sub-clusters with a common PBL scheme.

### 3.2 Wind Speed at 10m

Wind speed forecasts at 10m are sensitive to PBL scheme, model dynamics, and IC/LBC perturbation, depending on the lead time and PBL scheme (Fig. 7). At 3 hr lead time (valid 03UTC) the 10m wind speed forecasts with YSU and MYJ PBL schemes form separate clusters, with an additional cluster of C0 and ARPS members (Fig. 7a). The MYJ cluster forms sub-clusters with common model even though some members with different models have the same IC/LBC. In contrast, the YSU cluster has two pairs of members with common IC/LBC but different model. By 24 hr lead time (valid 00UTC) the primary clustering corresponds to the members with IC/LBC perturbations from SREF members with common model dynamics (see Table 1 for SREF models).

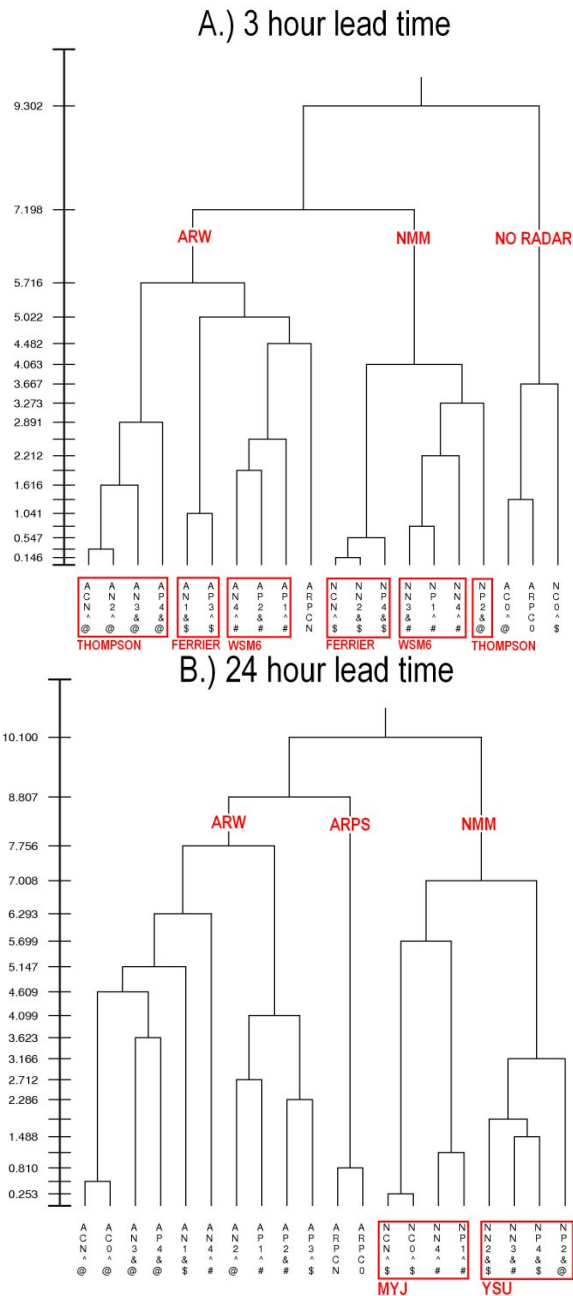


Figure 6: Dendrograms composited over 26 days using fuzzy OTS as distance measure between hourly accumulated precipitation forecasts at (a) 3 hour lead time valid 03UTC and (b) 24 hour lead time valid 00UTC. Labels are defined in Table 1.

Clustering of 10m wind speed forecasts based on PBL scheme at 3hr (valid 03UTC) was also seen on most individual cases but each case had a different, seemingly unrelated, explanation. This is probably because there are many types of flow where 10m wind speed depends largely on whether a local (MYJ) or non-local (YSU) PBL scheme is used, however detailed analysis of the difference is left for future work. The increasing influence of the large scale perturbations with increasing forecast time is caused by common LBC forcing propagating into the verification domain as well as the growth of shared initial perturbations within the verification domain. The clustering based on SREF model is due to differences in the forecasts from different SREF configurations and is discussed further in the next section.

**3.3 Temperature at 500hPa**

The composite dendrograms of 500hPa temperature are representative of the clustering of 850hPa variables (wind speed and temperature; not shown). These middle-tropospheric variables tend to cluster based on IC/LBC perturbations at all lead times (Fig. 8). By the 24 hr lead time (valid 00UTC) there is even stronger primary clustering of middle-tropospheric variables based on the SREF model used for IC/LBCs than 10m wind speed. Unlike 10m wind speed, Figure 8 shows all members using NAM SREF in the same cluster and the members using Eta SREF are separated according to EtaKF and EtaBMJ. Within these primary clusters every pair of members with the same IC/LBC are also paired together, as indicated in Figure 8b.

The primary clustering of non-precipitation variables by 24 hr lead time is the result of using SREF member forecasts, including both perturbations and base state, as LBCs. There is a tendency for the base states of SREF members with common model dynamics and physics to have differences that are much greater than their flow perturbations. The large spatial scale and amplitude of the LBC perturbations eventually dominates the clustering as they move into the verification domain.



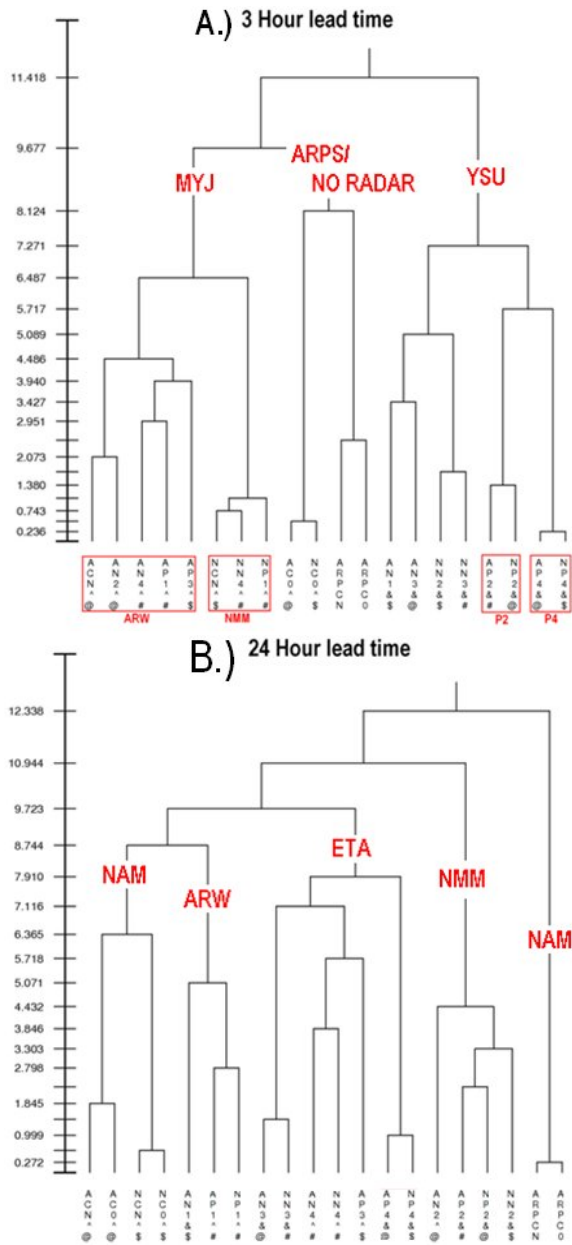


Figure 7: Dendrograms composited over 28 days using ED as distance measure between 10m wind speed forecasts at (a) 3 hour lead time(valid 03UTC) and (b) 24 hour lead time (valid 00UTC). Labels are defined in Table 1.

#### 4. DISCUSSION

An Object-oriented clustering technique using a modified version of Ward's algorithm is an effective method of identifying clusters within a convection-allowing ensemble of precipitation forecasts. When composited over multiple cases 24 hour precipitation forecasts, valid 00UTC, cluster primarily by model dynamics with secondary sub-clusters of the NMM members with common PBL scheme. Three hour precipitation forecasts, valid 03UTC, also cluster primarily by model but sub-clusters have common microphysics scheme for both WRF cores. The different sub-clusters in NMM and ARW members at 24 hour lead time indicates the relative impact of some perturbations can depend on interactions with other aspects of the ensemble design, an inference also supported by composite clusters of 10m wind speed forecasts at 3 hour lead time.

In general, the results depend on the variable and lead time of interest, as well as the ensemble configuration. 10m wind speed forecasts at 3 hour lead time, valid 03UTC, cluster primarily by PBL scheme and secondarily by model for MYJ members and secondarily by IC/LBC for YSU members. At 24 hour lead time, valid 00UTC, 10m wind speed forecasts cluster primarily by IC/LBC, with a clear influence of the configuration of the SREF ensemble used for LBCs. Upper level variables cluster primarily by IC/LBC at all lead times and eventually by the SREF configuration at later lead times. For all variables considered in this study there was an impact of radar and mesoscale data assimilation through the 12 hour forecast time valid at 12 UTC.

The dependence of the results on multiple factors implies that optimal perturbation strategies are likely to depend on the intended use of the forecasts. The results presented here imply that when designing a convection-allowing EPS for 24 hr forecasts of intense convection particular attention should be paid to model dynamics and PBL scheme perturbations. Users interested in short term forecasts of near surface variables may find greatest improvements to ensemble design by optimizing physics and model perturbations while users interested in longer term forecasts or higher level variables may benefit from an increased emphasis on IC/LBC perturbations. However, even for a specific user there may not be a single optimal perturbation strategy that applies to all modeling systems for all flow regimes.

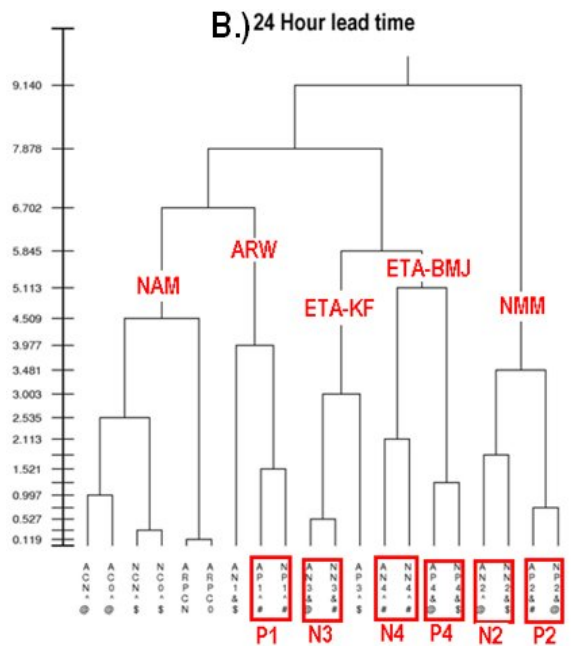
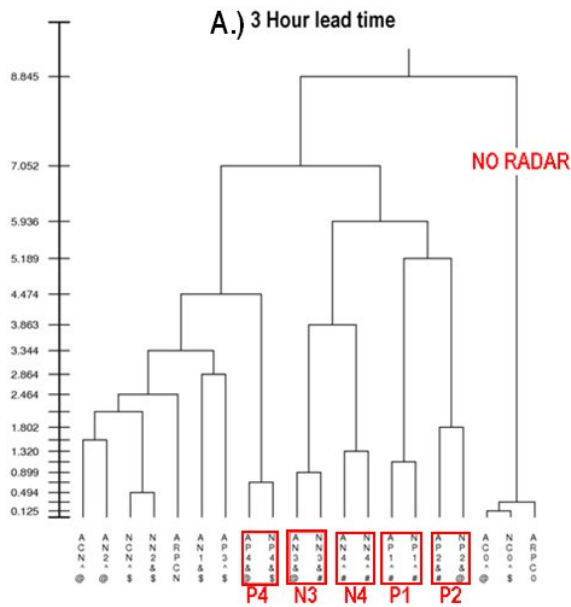


Figure 8: Dendrograms composited over 28 days using ED as distance measure between 500hPa temperature forecasts at (a) 3 hour lead time and (b) 24 hour lead time. Labels are defined in Table 1.

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